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*How comprehensive is the category of abelian groups?*

**Abstract:** The talk will introduce an embedding $G$ of the category of graphs into the category of abelian groups which induces isomorphisms

$$G_{X,Y} : \mathbb{Z}[\mathrm{Hom}_{\mathcal{G}raphs}(X,Y)] \xrightarrow{\cong} \mathrm{Hom}_{\mathcal{A}b}(GX, GY)$$

for any graphs $X$ and $Y$. Here $\mathbb{Z}[S]$ denotes the free abelian group with basis $S$. The existence of $G$ implies the equiconsistency of weak Vopěnka's principle and the claim that all classes of abelian groups closed under limits are reflective. This equiconsistency translates to the stable homotopy category.